FUZZY REGULAR OPEN SETS VIA OPERATIONS

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Abstract. The aim of this paper is to introduce and study the concepts of $r$-fuzzy $\gamma$-regular open sets and their related notions in topological spaces.

Keywords: smooth fuzzy topological spaces; $r$-fuzzy $\gamma$-regular open set; $r$-fuzzy $\gamma$-regular closed set.

2010 AMS Subject Classification: 54D10.

1. INTRODUCTION

The fuzzy concept has invaded almost all branches of Mathematics since its introduction by Zadeh [11]. Fuzzy sets have applications in many fields such as information [7] and control [10]. The theory of fuzzy topological spaces was introduced and developed by Chang [1] and since then various notions in classical topology have been extended to fuzzy topological spaces. Sostak [8] and Kubiak [4] introduced the fuzzy topology as an extension of Chang’s fuzzy topology. It has been developed in many directions. Sostak [9] also published a survey article of the developed areas of fuzzy topological spaces. In this paper, we introduce and study the notion of regular open sets by using the operation $\gamma$ on operation fuzzy topological space.

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Received May 03, 2021
2. Preliminaries

**Definition 2.1.** [4, 8] A function \( \tau : I^X \to I \) is called a smooth fuzzy topology on \( X \) if it satisfies the following conditions:

1. \( \tau(\overline{0}) = \tau(\overline{1}) = 1 \);
2. \( \tau(\mu_1 \land \mu_2) \geq \tau(\mu_1) \land \tau(\mu_2) \) for any \( \mu_1, \mu_2 \in I^X \).
3. \( \tau(\bigvee_{j \in \Gamma} \mu_j) \geq \bigvee_{j \in \Gamma} \tau(\mu_j) \) for any \( \{ \mu_j \}_{j \in \Gamma} \in I^X \).

The pair \( (X, \tau, \gamma) \) is called an operation smooth fuzzy topological space.

**Definition 2.2.** [2] Let \( (X, \tau) \) be a smooth fuzzy topological space. Let \( \gamma : \tau \to \tau_r \) be an operation such that \( \lambda^\gamma = \land \mu \), where \( \lambda \leq \mu \) for \( \tau(\mu) \geq r, \tau(\lambda) \geq r \) and \( r \in I_0 \).

**Definition 2.3.** [2] A smooth topological space \( (X, \tau) \) with an operation \( \gamma \) is said to be an operation smooth fuzzy topological space and is denoted by \( (X, \tau, \gamma) \).

**Definition 2.4.** [2] Let \( (X, \tau) \) be a smooth fuzzy topological space. Let \( \gamma : \tau \to \tau_r \) be an operation. For any \( \lambda \in I^X \), the \( r \)-fuzzy \( \gamma \)-interior of \( \lambda \) is defined by, \( \gamma-I_\tau(\lambda, r) = \bigvee\{ \mu : \mu \leq \lambda, \mu \text{ is } r \text{-fuzzy } \gamma \text{-open} \} \).

**Definition 2.5.** [2] Let \( (X, \tau) \) be a smooth fuzzy topological space. Let \( \gamma : \tau \to \tau_r \) be an operation. For any \( \lambda \in I^X \), the \( r \)-fuzzy \( \gamma \)-closure of \( \lambda \) is defined by, \( \gamma-C_\tau(\lambda, r) = \bigwedge\{ \mu : \mu \geq \lambda, \mu \text{ is } r \text{-fuzzy } \gamma \text{-closed} \} \).

**Definition 2.6.** [2] Let \( (X, \tau) \) be a smooth fuzzy topological space. Let \( \gamma : \tau \to \tau_r \) be an operation. For any \( \lambda \in I^X \), the \( r \)-fuzzy \( \gamma \)-preopen if \( \lambda \leq \gamma-I_\tau(\gamma-C_\tau(\lambda, r), r) \);

(2) \( r \)-fuzzy \( \gamma \)-open if \( \lambda \leq \gamma-I_\tau(\gamma-C_\tau(\gamma-I_\tau(\lambda, r), r), r) \);

(3) \( r \)-fuzzy \( \gamma \)-\( \alpha \)-open if \( \lambda \leq \gamma-I_\tau(\gamma-C_\tau(\gamma-I_\tau(\lambda, r), r), r) \).
Lemma 3.4. Let \( \lambda \leq \gamma - \text{C}_\tau(\gamma - \text{I}_\tau(\gamma - \text{C}_\tau(\lambda), r), r) \).

(5) \text{-fuzzy semiopen if } \lambda \leq \gamma - \text{C}_\tau(\gamma - \text{I}_\tau(\lambda), r);

(6) \text{-fuzzy } \gamma - \text{preclosed if } \gamma - \text{C}_\tau(\gamma - \text{I}_\tau(\lambda), r) \leq \lambda;

(7) \text{-fuzzy } \gamma - \alpha - \text{closed if } \gamma - \text{C}_\tau(\gamma - \text{I}_\tau(\gamma - \text{C}_\tau(\lambda), r), r) \leq \lambda.

(8) \text{-fuzzy semi-preopen if } \lambda \leq \gamma - \text{C}_\tau(\gamma - \text{I}_\tau(\gamma - \text{C}_\tau(\lambda), r), r).

3. \text{-Fuzzy } \gamma - \text{Regular Open Sets}

Definition 3.1. A fuzzy subset \( \lambda \) of an operation fuzzy topological space \((X, \tau, \gamma)\) is said to be \text{-fuzzy } \gamma - \text{regular open set if } \gamma - \text{I}_\tau(\gamma - \text{C}_\tau(\lambda)) = \lambda. \) We call a subset \( \lambda \) of \( X \) is \text{-fuzzy } \gamma - \text{regular closed if its complement is \text{-fuzzy } \gamma - \text{regular open.}

Theorem 3.2. Let \( \lambda \) be a fuzzy subset over \( X \), then (1) \( \Rightarrow \) (2) \( \Rightarrow \) (3), where

(1) \( \lambda \) is \text{-fuzzy } \gamma - \text{clopen (= \text{-fuzzy } \gamma - \text{open and } \text{-fuzzy } \gamma - \text{closed).}

(2) \( \lambda = \gamma - \text{C}_\tau(\gamma - \text{I}_\tau(\lambda)).

(3) \( \bar{I} - \lambda \) is \text{-fuzzy } \gamma - \text{regular open.

Proof. (1) \( \Rightarrow \) (2): This is obvious.

(2) \( \Rightarrow \) (3): By (2), \( \bar{I} - \lambda = \bar{I} - \gamma - \text{C}_\tau(\gamma - \text{I}_\tau(\lambda)) = \gamma - \text{I}_\tau(\bar{I} - \gamma - \text{I}_\tau(\lambda)) = \gamma - \text{I}_\tau(\gamma - \text{C}_\tau(\bar{I} - \lambda)), \) and hence \( \bar{I} - \lambda \) is \text{-fuzzy } \gamma - \text{regular open set. \( \square \)

Lemma 3.3. For an operation smooth fuzzy topological space \((X, \tau, \gamma)\), we have

(1) \( \gamma - \text{I}_\tau(\gamma - \text{C}_\tau(\gamma - \text{I}_\tau(\gamma - \text{C}_\tau(\lambda))) = \gamma - \text{I}_\tau(\gamma - \text{C}_\tau(\lambda)).

(2) \( \gamma - \text{C}_\tau(\gamma - \text{I}_\tau(\gamma - \text{C}_\tau(\gamma - \text{I}_\tau(\lambda))) = \gamma - \text{C}_\tau(\gamma - \text{I}_\tau(\lambda)).

Proof. (1). Since \( \gamma - \text{I}_\tau(\gamma - \text{C}_\tau(\gamma - \text{I}_\tau(\lambda))) \leq \gamma - \text{C}_\tau(\gamma - \text{I}_\tau(\lambda)). \) Then \( \gamma - \text{C}_\tau(\gamma - \text{I}_\tau(\gamma - \text{C}_\tau(\gamma - \text{I}_\tau(\lambda)))) \leq \gamma - \text{C}_\tau(\gamma - \text{I}_\tau(\lambda)). \) On the other hand, since \( \gamma - \text{I}_\tau(\lambda) \leq \gamma - \text{C}_\tau(\gamma - \text{I}_\tau(\lambda)) \) implies that \( \gamma - \text{I}_\tau(\gamma - \text{C}_\tau(\gamma - \text{I}_\tau(\lambda))) \) and hence \( \gamma - \text{C}_\tau(\gamma - \text{I}_\tau(\lambda)) \leq \gamma - \text{C}_\tau(\gamma - \text{I}_\tau(\gamma - \text{I}_\tau(\lambda))). \) Therefore, \( \gamma - \text{C}_\tau(\gamma - \text{I}_\tau(\gamma - \text{C}_\tau(\gamma - \text{I}_\tau(\lambda)))) = \gamma - \text{C}_\tau(\gamma - \text{I}_\tau(\lambda)). \)

(2). Similar to (1). \( \square \)

Lemma 3.4. Let \( \lambda \) and \( \mu \) be fuzzy subsets of an operation smooth fuzzy topological space \((X, \tau, \gamma)\). Then the following properties hold:
(1) \( \gamma_I(\gamma-C_\gamma(\lambda)) \) is \( r \)-fuzzy \( \gamma \)-regular open.

(2) If \( \lambda \) and \( \mu \) are \( r \)-fuzzy \( \gamma \)-regular open, then \( \lambda \wedge \mu \) is also \( r \)-fuzzy \( \gamma \)-regular open.

**Proof.** (1). Follows from Lemma 3.3.

(2). Let \( \lambda \) and \( \mu \) be \( r \)-fuzzy \( \gamma \)-regular open sets over \( X \). Then we have \( \lambda \wedge \mu = \gamma_I(\gamma-C_\gamma(\lambda)) \wedge \gamma_I(\gamma-C_\gamma(\mu)) = \gamma_I(\gamma-C_\gamma(\lambda) \wedge \gamma-C_\gamma(\mu)) \geq \gamma_I(\gamma-C_\gamma(\lambda \wedge \mu)) \geq \gamma_I(\lambda \wedge \mu) = \lambda \wedge \mu \). Then \( \lambda \wedge \mu = \gamma_I(\gamma-C_\gamma(\lambda \wedge \mu)) \). Hence \( \lambda \wedge \mu \) is \( r \)-fuzzy \( \gamma \)-regular open. \( \square \)

**Theorem 3.5.** The following statements are true:

(1) A \( r \)-fuzzy \( \gamma \)-open set \( \lambda \) is \( r \)-fuzzy \( \gamma \)-regular open if, and only if \( \gamma_I(\gamma-C_\gamma(\lambda)) \leq \lambda \) holds.

(2) For every \( r \)-fuzzy \( \gamma \)-closed set \( \lambda \), \( \gamma_I(\lambda) \) is \( r \)-fuzzy \( \gamma \)-regular open.

(3) For every \( r \)-fuzzy \( \gamma \)-open set \( \lambda \), \( \gamma-C_\gamma(\lambda) \) is \( r \)-fuzzy \( \gamma \)-regular closed.

**Proof.** (1). It suffices to prove that every \( r \)-fuzzy \( \gamma \)-open set \( \lambda \) satisfying \( \gamma-I(\gamma-C_\gamma(\lambda)) \leq \lambda \) is \( r \)-fuzzy \( \gamma \)-regular open. Since \( A \leq \gamma-C_\gamma(\lambda) \) holds, \( \lambda = \gamma-I(\lambda) \leq \gamma-I(\gamma-C_\gamma(\lambda)) \) is true, so we have \( \lambda = \gamma-I(\gamma-C_\gamma(\lambda)) \).

(2). If \( \lambda \) is \( r \)-fuzzy \( \gamma \)-closed, then \( \gamma-I(\lambda) \leq \gamma-C_\gamma(\gamma-I(\lambda)) \leq \gamma-C_\gamma(\lambda) = \lambda \). Hence \( \gamma-I(\lambda) = \gamma-I(\gamma-C_\gamma(\lambda)) \). So, \( \gamma-I(\lambda) = \gamma-I(\gamma-C_\gamma(\gamma-I(\lambda)) \) holds. That is, \( \gamma-I(\lambda) \) is \( r \)-fuzzy \( \gamma \)-regular open.

(3). Let \( \lambda \) be an \( r \)-fuzzy \( \gamma \)-open set over \( X \). Then clearly \( \gamma-I(\gamma-C_\gamma(\lambda,r),r) \leq \gamma-C_\gamma(\lambda,r) \) implies that \( \gamma-C_\gamma(\gamma-I(\gamma-C_\gamma(\lambda,r),r),r) \leq \gamma-C_\gamma(\gamma-C_\gamma(\lambda,r),r) = \gamma-C_\gamma(\lambda,r) \). Since \( \lambda \) is \( r \)-fuzzy \( \gamma \)-open, \( \lambda = \gamma-I(\lambda,r) \). Also since \( \lambda \leq \gamma-C_\gamma(\lambda,r), \lambda = \gamma-I(\lambda,r) \leq \gamma-I(\gamma-C_\gamma(\lambda,r),r) \). Thus \( \gamma-C_\gamma(\lambda,r) \leq \gamma-C_\gamma(\gamma-I(\gamma-C_\gamma(\lambda,r),r),r) \). Hence \( \gamma-C_\gamma(\lambda,r) \) is an \( r \)-fuzzy \( \gamma \)-regular closed set. \( \square \)

**Theorem 3.6.** Let \( \lambda \) be any fuzzy subset of an operation smooth fuzzy topological space \((X, \tau, \gamma)\). Then

(1) \( \lambda \) is \( \gamma \)-clopne if, and only if it is \( r \)-fuzzy \( \gamma \)-regular open and \( r \)-fuzzy \( \gamma \)-regular closed.

(2) \( \lambda \) is \( r \)-fuzzy \( \gamma \)-regular open if, and only if it is \( r \)-fuzzy \( \gamma \)-preopen and \( r \)-fuzzy \( \gamma \)-semiclosed.

(3) \( \lambda \) is \( r \)-fuzzy \( \gamma \)-regular closed if, and only if it is \( r \)-fuzzy \( \gamma \)-semiopen and \( r \)-fuzzy \( \gamma \)-preclosed.
Proof. Follows from their definitions. □

**Theorem 3.7.** Let \( \lambda \) be any fuzzy subset of an operation smooth fuzzy topological space \((X, \tau, \gamma)\). Then the following statements are equivalent:

1. \( \lambda \) is r-fuzzy \( \gamma \)-regular open.
2. \( \lambda \) is r-fuzzy \( \gamma \)-open and r-fuzzy \( \gamma \)-semiclosed.
3. \( \lambda \) is r-fuzzy \( \gamma \)-\( \alpha \)-open and r-fuzzy \( \gamma \)-semiclosed.
4. \( \lambda \) is r-fuzzy \( \gamma \)-preopen and r-fuzzy \( \gamma \)-semiclosed.
5. \( \lambda \) is r-fuzzy \( \gamma \)-open and r-fuzzy \( \gamma \)-semi-preclosed.
6. \( \lambda \) is r-fuzzy \( \gamma \)-\( \alpha \)-open and r-fuzzy \( \gamma \)-semi-preclosed.

**Proof.**
1) \( \Rightarrow \) 2): Let \( \lambda \) be r-fuzzy \( \gamma \)-regular open set. Since every r-fuzzy \( \gamma \)-regular open set is r-fuzzy \( \gamma \)-open and every r-fuzzy \( \gamma \)-regular open set is r-fuzzy \( \gamma \)-semiclosed. Then \( \lambda \) is r-fuzzy \( \gamma \)-open and r-fuzzy \( \gamma \)-semiclosed.

2) \( \Rightarrow \) 3): Let \( \lambda \) be r-fuzzy \( \gamma \)-open and r-fuzzy \( \gamma \)-semiclosed set. Since every r-fuzzy \( \gamma \)-open set is r-fuzzy \( \gamma \)-\( \alpha \)-open. Then \( \lambda \) is r-fuzzy \( \gamma \)-\( \alpha \)-open and r-fuzzy \( \gamma \)-semiclosed.

3) \( \Rightarrow \) 4): Let \( \lambda \) be r-fuzzy \( \gamma \)-\( \alpha \)-open and r-fuzzy \( \gamma \)-semiclosed set. Since every r-fuzzy \( \gamma \)-\( \alpha \)-open set is r-fuzzy \( \gamma \)-preopen. Then \( \lambda \) is r-fuzzy \( \gamma \)-preopen and r-fuzzy \( \gamma \)-semiclosed.

4) \( \Rightarrow \) 5): Let \( \lambda \) be r-fuzzy \( \gamma \)-preopen and r-fuzzy \( \gamma \)-semiclosed set. Then \( \lambda \leq \gamma -I_\tau(\gamma -C_\tau(\lambda)) \) and \( \gamma -I_\tau(\gamma -C_\tau(\lambda)) \leq \lambda \). Then \( \lambda = \gamma -I_\tau(\gamma -C_\tau(\lambda)) \). Hence \( \lambda \) is r-fuzzy \( \gamma \)-regular open set and hence it is r-fuzzy \( \gamma \)-open. Since every r-fuzzy \( \gamma \)-semiclosed set is r-fuzzy \( \gamma \)-semi-preclosed. Then \( \lambda \) is r-fuzzy \( \gamma \)-open and r-fuzzy \( \gamma \)-semi-preclosed.

5) \( \Rightarrow \) 6): It is obvious since every r-fuzzy \( \gamma \)-open set is r-fuzzy \( \gamma \)-\( \alpha \)-open.

6) \( \Rightarrow \) 1): Let \( \lambda \) be r-fuzzy \( \gamma \)-\( \alpha \)-open and r-fuzzy \( \gamma \)-semi-preclosed set, \( \lambda \leq \gamma -I_\tau(\gamma -C_\tau(\gamma -I_\tau(\lambda))) \) and \( \gamma -I_\tau(\gamma -C_\tau(\gamma -I_\tau(\lambda))) \leq \lambda \). Then \( \gamma -I_\tau(\lambda) = \gamma -I_\tau(\gamma -C_\tau(\gamma -I_\tau(\lambda))) = \lambda \) and hence \( \gamma -I_\tau(\gamma -C_\tau(\lambda)) = \gamma -I_\tau(\gamma -C_\tau(\gamma -I_\tau(\lambda))) = \lambda \). Hence \( \lambda \) is r-fuzzy \( \gamma \)-regular open set. □

**Corollary 3.8.** Let \( \lambda \) be any soft subset of an operation fuzzy topological space \((X, \tau, A, \gamma)\). Then the following statements are equivalent:

1. \( \lambda \) is r-fuzzy \( \gamma \)-regular closed.
2. \( \lambda \) is r-fuzzy \( \gamma \)-closed and r-fuzzy \( \gamma \)-semiopen.
Therefore, \( \gamma \).

Hence \( \Rightarrow \) (8)

\[ \lambda \text{ is } r\text{-fuzzy } \gamma\text{-}\alpha\text{-closed and } r\text{-fuzzy } \gamma\text{-semiopen.} \]

\[ \lambda \text{ is } r\text{-fuzzy } \gamma\text{-preclosed and } r\text{-fuzzy } \gamma\text{-semiopen.} \]

\[ \lambda \text{ is } r\text{-fuzzy } \gamma\text{-closed and } r\text{-fuzzy } \gamma\text{-semi-preopen.} \]

\[ \lambda \text{ is } r\text{-fuzzy } \gamma\text{-}\alpha\text{-closed and } r\text{-fuzzy } \gamma\text{-semi-preopen.} \]

**Proof.** Similar to Theorem 3.7.

\[ \Box \]

**Theorem 3.9.** Let \( \lambda \) be any fuzzy subset of an operation fuzzy topological space \((X, \tau, \gamma)\). Then the following statements are equivalent:

1. \( \lambda \) is \( r\text{-fuzzy } \gamma\text{-clopen.} \)
2. \( \lambda \) is \( r\text{-fuzzy } \gamma\text{-regular open and } r\text{-fuzzy } \gamma\text{-regular closed.} \)
3. \( \lambda \) is \( r\text{-fuzzy } \gamma\text{-open and } r\text{-fuzzy } \gamma\text{-}\alpha\text{-closed.} \)
4. \( \lambda \) is \( r\text{-fuzzy } \gamma\text{-open and } r\text{-fuzzy } \gamma\text{-preclosed.} \)
5. \( \lambda \) is \( r\text{-fuzzy } \gamma\text{-}\alpha\text{-open and } r\text{-fuzzy } \gamma\text{-preclosed.} \)
6. \( \lambda \) is \( r\text{-fuzzy } \gamma\text{-}\alpha\text{-open and } r\text{-fuzzy } \gamma\text{-closed.} \)
7. \( \lambda \) is \( r\text{-fuzzy } \gamma\text{-preopen and } r\text{-fuzzy } \gamma\text{-closed.} \)
8. \( \lambda \) is \( r\text{-fuzzy } \gamma\text{-preopen and } r\text{-fuzzy } \gamma\text{-}\alpha\text{-closed.} \)

**Proof.** (1) \( \Rightarrow \) (2) See Remark 3.4 (1).

The implications (2) \( \Rightarrow \) (3) \( \Rightarrow \) (4) \( \Rightarrow \) (5) and (6) \( \Rightarrow \) (7) \( \Rightarrow \) (8) are obvious.

(5) \( \Rightarrow \) (6): Let \( \lambda \) be \( r\text{-fuzzy } \gamma\text{-}\alpha\text{-open and } r\text{-fuzzy } \gamma\text{-preclosed set. Then } \lambda \leq \gamma-I_{\tau}(\gamma-C_{\tau}(\gamma-I_{\tau}(\lambda))) \text{ and } \gamma-C_{\tau}(\gamma-I_{\tau}(\lambda)) \leq \lambda. \) This implies that \( \lambda = \gamma-I_{\tau}(\gamma-C_{\tau}(\gamma-I_{\tau}(\lambda))) \) and hence \( \gamma-C_{\tau}(\lambda) = \gamma-I_{\tau}(\gamma-C_{\tau}(\gamma-I_{\tau}(\lambda))). \) Then \( \gamma-C_{\tau}(\lambda) = \gamma-I_{\tau}(\lambda)). \) Since \( \gamma-C_{\tau}(\gamma-I_{\tau}(\lambda))) \leq \lambda, \text{ then } \gamma-C_{\tau}(\lambda) \leq \lambda. \) But in general \( \lambda \leq \gamma-C_{\tau}(\lambda). \) Then \( \gamma-C_{\tau}(\lambda) = \lambda. \) It is obvious that \( \lambda \) is \( r\text{-fuzzy } \gamma\text{-closed.} \)

(8) \( \Rightarrow \) (1): Let \( \lambda \) be \( r\text{-fuzzy } \gamma\text{-preopen and } r\text{-fuzzy } \gamma\text{-}\alpha\text{-closed. Then } \lambda \leq \gamma-I_{\tau}(\gamma-C_{\tau}(\lambda)) \text{ and } \gamma-C_{\tau}(\gamma-I_{\tau}(\gamma-C_{\tau}(\lambda))) \leq \lambda. \) Hence \( \gamma-C_{\tau}(\lambda) \leq \gamma-C_{\tau}(\gamma-I_{\tau}(\gamma-C_{\tau}(\lambda))) \leq \lambda \) and hence \( \gamma-C_{\tau}(\lambda) \leq \lambda. \) Hence \( \gamma-C_{\tau}(\lambda) = \lambda. \) It is obvious that \( \lambda \) is \( r\text{-fuzzy } \gamma\text{-closed.} \) Since \( \gamma-C_{\tau}(\gamma-I_{\tau}(\gamma-C_{\tau}(\lambda))) \leq \lambda, \) \( \gamma-I_{\tau}(\gamma-C_{\tau}(\gamma-I_{\tau}(\gamma-C_{\tau}(\lambda)))) \leq \gamma-I_{\tau}(\lambda). \) Then \( \lambda \leq \gamma-I_{\tau}(\gamma-C_{\tau}(\lambda)) \leq \gamma-I_{\tau}(\lambda) \) and hence \( \lambda \leq \gamma-I_{\tau}(\lambda). \) But in general \( \gamma-I_{\tau}(\lambda) \leq \lambda. \) Then \( \gamma-I_{\tau}(\lambda) = \lambda. \) It is obvious that \( \lambda \) is \( r\text{-fuzzy } \gamma\text{-open.} \) Therefore, \( \lambda \) is \( r\text{-fuzzy } \gamma\text{-clopen.} \)

\[ \Box \]
CONFLICT OF INTERESTS

The authors declare that there is no conflict of interests.

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